

# Specification-based testing for refinement

Temesghen Kahsai

University of Iowa

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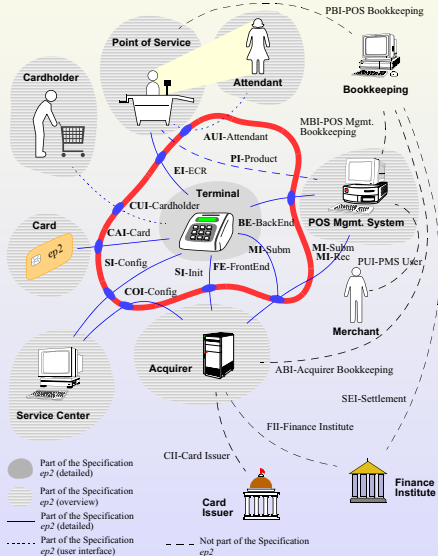
University of Iowa

This work is done in cooperation with:

- **M. Roggenbach**, Swansea University (Wales) and
- **H-B. Schlingloff**, Humboldt University Berlin / Fraunhofer FIRST (Germany)

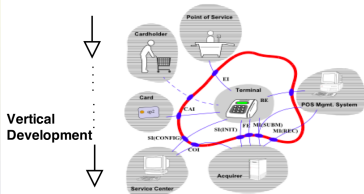
# Motivation

# EP2 or EFT/POS 2000: International standard for Electronic Funds Transfer Point Of Service 2000



Joint project by a number  
(mainly Swiss) financial institutes  
([www.eftpos2000.ch](http://www.eftpos2000.ch))

## EP2 informal specification (12 documents)

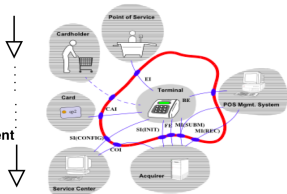


Implementation

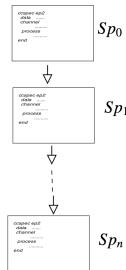


EP2 informal specification  
(12 documents)

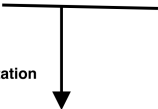
Vertical  
Development



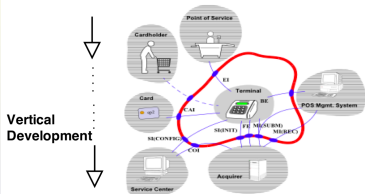
Formalize in  
CSP-CASL



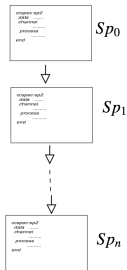
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Formalize in  
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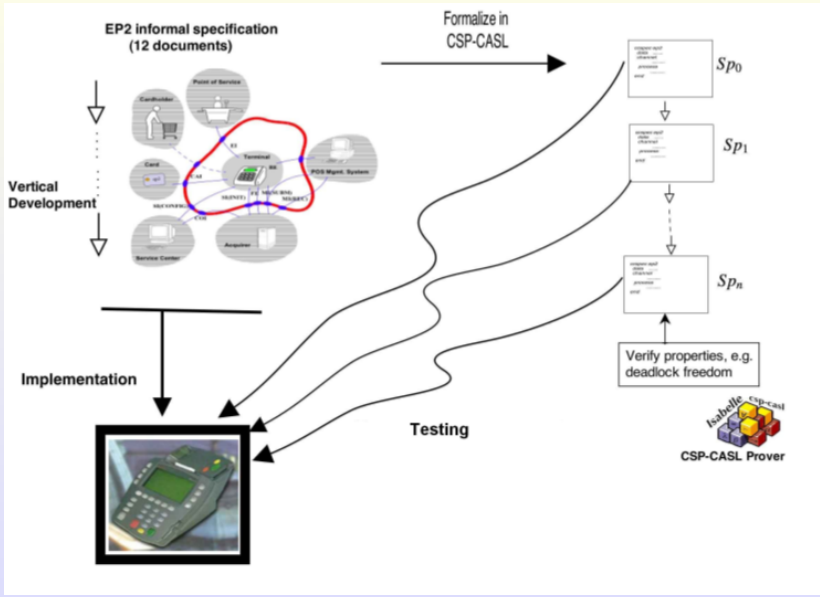


Verify properties, e.g.  
deadlock freedom



Implementation





# Overview

Processes and Data: CSP-CASL

Testing and refinement in CSP-CASL

# Processes and Data: CSP-CASL

# Processes and Data

## Processes: CSP

### Communicating Sequential Processes (Hoare 1985, Roscoe 1998)

- Established formalism to describe concurrent systems.
- Applications in industry include  
Train Controllers, Avionics, Security Protocols.
- Tools: FDR, ProBe, **Csp-Prover** (Swansea University / AIST)

# Processes and Data

## Processes: CSP

### Communicating Sequential Processes (Hoare 1985, Roscoe 1998)

- Established formalism to describe concurrent systems.
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## Data: CASL

### Common Algebraic Specification Language.

- De-facto standard in algebraic specification, stable release 1.0.2 in October 2003.
- Tools: HETS – Parsing, Static analysis, Proof management and Interface with theorem provers (Isabelle, SPASS, Vampire, etc).

# CSP-CASL

**ccspec  $S_p = \text{data } D \text{ channel } Ch \text{ process } P \text{ end}$**

**Data part  $D$**  : structured CASL specification

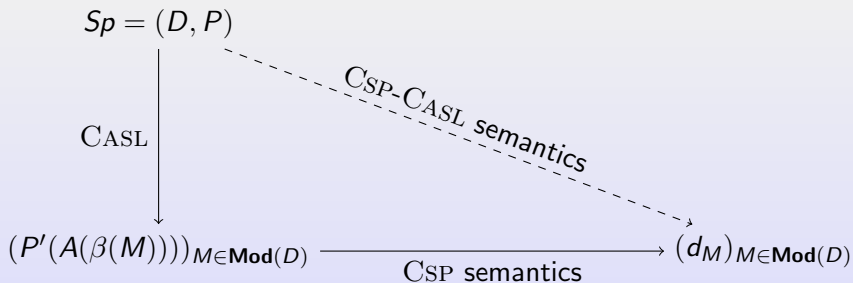
**Channel part  $Ch$** : communication channels typed by CASL sorts

**Process part  $P$**  : set of (mutually recursive) CSP processes where

- communications: CASL terms
- sets of communications: CASL sorts
- relational renamings: binary CASL predicates
- conditions: CASL formulae

## CSP-CASL

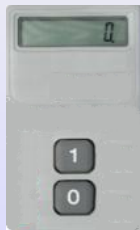
## CSP-CASL 2-step semantics



## References for CSP-CASL

- T. Kahsai: **Property preserving development and testing for Csp-Casl**. Ph.D. thesis, Swansea University, June 2010.
- T. Kahsai, A. Gimblett, L. O'Reilly, M. Roggenbach: **On the whereabouts of Csp-Casl- A Survey**. In STN, Festschrift dedicated to Bernd Krieg-Brückner, Bremen, 2009.
- T. Kahsai, M. Roggenbach: **Property preserving refinement notions for Csp-Casl**. In WADT 2008. Springer, 2009.
- M. Roggenbach: **Csp-Casl - A new integration of process algebra and algebraic specification**, In TCS 2006, Elsevier, 2006.

# A specification exercise: Binary Calculator



## Setting up the interface

**ccspec** BCALC0 =

**data**

**sort** *Number*

**ops**  $0, 1 : \text{Number};$

$\_ + \_ : \text{Number} \times \text{Number} \rightarrow? \text{Number}$

**channel**

*Button, Display : Number*

**process**

$P_0 = (?x : \text{Button} \rightarrow P_0) \sqcap (!y : \text{Display} \rightarrow P_0)$

**end**

*Button!*0  $\rightarrow$  *Button!*0 is **left open** behaviour.

## Alternating buttons and display

**ccspec** BCALC1 =

**data**

**sort** *Number*

**ops**  $0, 1 : \textit{Number};$

$\_ + \_ : \textit{Number} \times \textit{Number} \rightarrow? \textit{Number}$

**channel**

$\textit{Button}, \textit{Display} : \textit{Number}$

**process**

$P_1 = ?x : \textit{Button} \rightarrow !y : \textit{Display} \rightarrow P_1$

**end**

$\textit{Button}!0 \rightarrow \textit{Button}!0$  is a 'unwanted' behaviour.

## Fixing the displayed value

**ccspec** BCALC3 =

**data**

**sort** *Number*

**ops**  $0, 1 : \text{Number};$

$\_ + \_ : \text{Number} \times \text{Number} \rightarrow ? \text{Number}$

**channel**

*Button, Display : Number*

**process**

$P_2 = ?x : \text{Button} \rightarrow \text{Display}!x \rightarrow ?y : \text{Button}$

$\rightarrow \text{Display}!(x + y) \rightarrow P_2$

**end**

$\text{Button}!0 \rightarrow \text{Display}!0 \rightarrow \text{Button}!1 \rightarrow \text{Display}!1$   
 is **left open** behaviour.

## 1-bit arithmetic

```

ccspec BCALC4 =
data
  CARDINAL [op WordLength = 1 : Nat]
  with sort CARDINAL  $\mapsto$  Number
channel
  Button, Display : Number
process
   $P_4 = ?x : Button \rightarrow Display!x \rightarrow ?y : Button$ 
     $\rightarrow Display!(x + y) \rightarrow P_4$ 
end

```

monomorphic data, no internal non-determinism:  
behaviour either '**unwanted**' or '**intended**'.

## CSP-CASL test case

Given:

- $Sp = (D, P)$  CSP-CASL specification

A **test case**  $T$  is any CSP-CASL process in the signature of  $D$ .

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Given:

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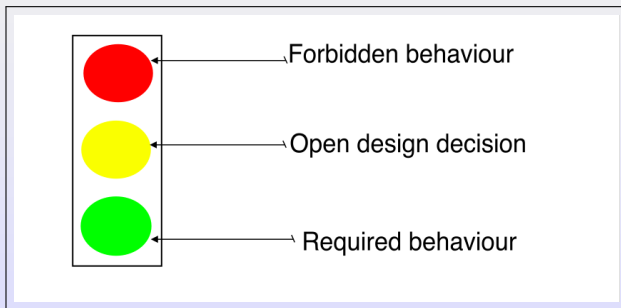
A **test case**  $T$  is any CSP-CASL process in the signature of  $D$ .

e.g.  $Button!0 \rightarrow Display!0 \rightarrow Button!1 \rightarrow Display!1$

Remark: A CSP-CASL test case can also have variables.

## Colouring test processes

The colour of test  $T$  with respect to  $(Sp, P)$   
is a value in  $\{red, yellow, green\}$ .



## Colouring test processes

Given a CSP-CASL specification  $Sp = (D, P)$  and a test case  $T$ :

## Colouring test processes

Given a CSP-CASL specification  $Sp = (D, P)$  and a test case  $T$ :

- **colour(T) = green**  $\Leftrightarrow \forall M \in \mathbf{Mod}(D)$  and all variable evaluations  $\nu : X \rightarrow M$  it holds that:
  1.  $traces(\llbracket T \rrbracket_\nu) \subseteq traces(\llbracket P \rrbracket_{\emptyset: \emptyset \rightarrow \beta(M)})$   
and
  2. for all  $tr = \langle t_1, \dots, t_n \rangle \in traces(\llbracket T \rrbracket_\nu)$  and for all  $1 \leq i \leq n$  it holds that:  

$$\langle t_1, \dots, t_{i-1} \rangle, \{t_i\} \notin failures(\llbracket P \rrbracket_{\emptyset: \emptyset \rightarrow \beta(M)})$$
- **colour(T) = red** iff for all models  $M \in \mathbf{Mod}(D)$  and all variable evaluations  $\nu : X \rightarrow M$  it holds that:  
 $traces(\llbracket T \rrbracket_\nu) \not\subseteq traces(\llbracket P \rrbracket_{\emptyset: \emptyset \rightarrow \beta(M)})$
- **colour(T) = yellow** otherwise.

## Colouring test process

Syntactic characterization based on full abstraction proofs for CSP.

E.g., traces condition

$$\begin{aligned}
 \text{Check}_T &= ((P \parallel T)[[R_{s_1}]] \dots [[R_{s_h}]] \\
 &\quad |[A]| \text{count}(n)) \setminus s_1 \setminus \dots \setminus s_n \\
 \text{count}(n : \text{Nat}) &= \mathbf{if } n = 0 \mathbf{ then } \text{OK} \rightarrow \text{Stop} \mathbf{ else } \text{count}(n - 1)
 \end{aligned}$$



Coloring of test cases is done in CSP-CASL-Prover.

## Execution of test cases

... execute a test case w.r.t. particular SUT.

### Point of Control and Observation

A PCO  $\mathcal{P} = (\mathcal{A}, \|\dots\|, \mathcal{D})$  of an SUT consists of:

- an alphabet  $\mathcal{A}$  of primitive events
- a mapping  $\|\dots\| : \mathcal{A} \longrightarrow T_{\Sigma}$
- a direction  $D : \mathcal{A} \longrightarrow \{ts2sut, sut2ts\}$ .

### Deriving the test verdict

- The **verdict of test**  $T$  w.r.t.  $Sp = (D, P)$  and a particular SUT is a value in  $\{pass, fail, inconclusive\}$ .
- An algorithm to derive the test verdict on the fly.
- TEV: Hardware in the loop testing framework.

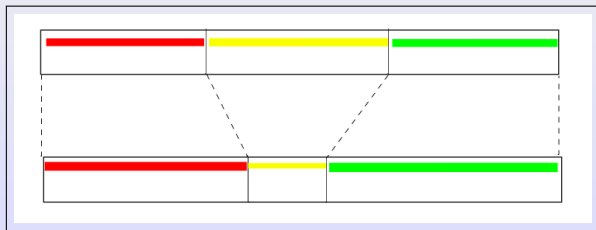
# Support for vertical development

## Well-behaved refinement

Let  $Sp = (D, P) \rightsquigarrow Sp' = (D', P')$  be a refinement with certain properties

$\leq$  is called *well-behaved* (w-b), iff :

1.  $colour(T) = green$  with respect to  $Sp = (D, P)$  implies  $colour(T) = green$  with respect to  $Sp = (D', P')$ , and
2.  $colour(T) = red$  with respect to  $Sp = (D, P)$  implies  $colour(T) = red$  with respect to  $Sp' = (D', P')$ .



# Well-behaved refinement relations

## CSP-CASL refinement

$$Sp = (D, P) \rightsquigarrow_{T, \mathcal{F}, \mathcal{N}, \mathcal{R}} Sp' = (D', P')$$

- Data refinement: '*less algebraic models*'
- Process refinement: '*less internal non-determinism*'

# Well-behaved refinement relations

## CSP-CASL refinement

$$Sp = (D, P) \rightsquigarrow_{\mathcal{T}, \mathcal{F}, \mathcal{N}, \mathcal{R}} Sp' = (D', P')$$

- Data refinement: '*less algebraic models*'
- Process refinement: '*less internal non-determinism*'

Refinement relation	Well behaved
Data refinement <sup>+</sup>	✓
Process refinement over $\mathcal{T}$ model	X
*Process refinement over $\mathcal{F}$ model	✓
*Process refinement over $\mathcal{N}$ model	✓
*Process refinement over $\mathcal{R}$ model	✓

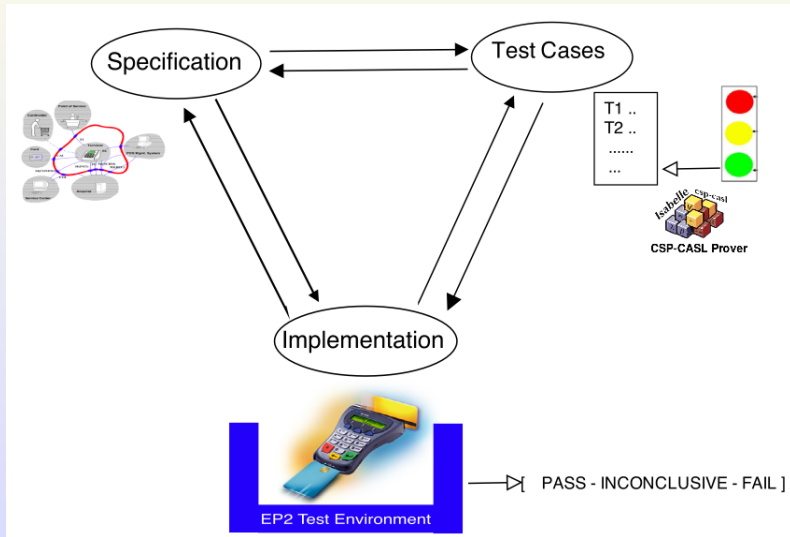
<sup>+</sup> it works with  $\mathcal{F}, \mathcal{N}, \mathcal{R}$

\* requires divergence-free processes.

## ... more on testing from CSP-CASL

- T. Kahsai, G. Holland, M. Roggenbach, B.-H. Schlingloff: **Towards formal testing of BR725 Rolls-Royce jet engine**. In CS&P 2009.
- T. Kahsai, M. Roggenbach, B.-H. Schlingloff: **Specification-based testing for software product lines**. In SEFM 2008. IEEE, 2008.
- T. Kahsai, M. Roggenbach, B.-H. Schlingloff: **Specification-based testing for refinement**. In SEFM 2007. IEEE, 2007.

# Summary



Thanks!